

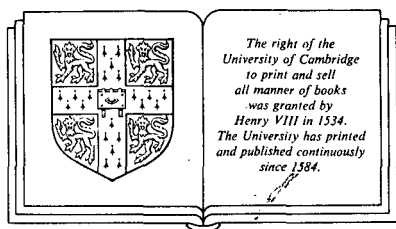
# Spin glasses

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# Contents

<i>Preface</i>	<i>ix</i>
<b>1 Introduction</b>	<b>1</b>
<b>2 Models, order parameters, and systems</b>	<b>15</b>
2.1 Models: random sites and random bonds	15
2.2 Broken symmetry in pure systems	19
2.3 Averaging in disordered systems	25
2.4 Broken ergodicity and spin glass order parameters	30
2.5 Frustration	41
2.6 Spin glass systems	48
<b>3 Mean field theory I: Ising model, equilibrium theory</b>	<b>61</b>
3.1 The SK model and a heuristic solution	62
3.2 SK solution from perturbation theory	65
3.3 Replica-symmetric theory	75
3.4 Replica symmetry breaking and broken ergodicity: the Parisi solution	84
3.5 TAP equations and metastable states	94
3.6 Two soluble models	108
The spherical model	109
The random energy model	111
3.7 The Potts glass	118
<b>4 Introduction to dynamics</b>	<b>125</b>
4.1 The Glauber model	125
4.2 Monte Carlo calculations	129
4.3 Soft spins and Langevin models	131
4.4 The fluctuation-dissipation theorem	138
<b>5 Mean field theory II: Ising dynamics</b>	<b>141</b>
5.1 The dynamical functional integral for the SK model	142
5.2 Dynamics of the phase transition	144
5.3 Sompolinsky theory	156

<b>6 Mean field theory III: vector spins</b>	<b>165</b>
6.1 The Gabay–Toulouse line	167
6.2 Anisotropy: non-random	175
6.3 The Dzyaloshinskii–Moriya interaction	180
6.4 Random DM anisotropy	182
6.5 Dynamics with conserved magnetization	187
<b>7 Short-range interactions: low-temperature properties</b>	<b>193</b>
7.1 Frustration and local gauge theories	194
7.2 Hydrodynamics and spin waves	203
7.3 Effects of anisotropy: hysteresis, remanence, torque, ESR, and NMR	210
<b>8 Beyond mean field theory</b>	<b>219</b>
8.1 Renormalization in pure systems	219
8.2 Scaling theory of the spin glass phase	227
8.3 The spin glass transition	237
8.4 Monte Carlo calculations	249
8.5 Experimental evidence	259
<b>9 Dynamics on many time scales</b>	<b>267</b>
9.1 Experimental windows	269
ac susceptibility measurements	270
Time-dependent magnetization measurements	275
Neutron scattering (including spin echo)	278
Mössbauer effect	280
NMR and ESR	281
Muon spin rotation and relaxation	282
9.2 Ageing	284
9.3 Phenomenological models	292
Ultradiffusion: the Ogielski–Stein–Schreckenbeg model	293
Other models for ultradiffusion	296
Connection with explicit models	299
<b>10 Specific heat, sound propagation, and transport properties</b>	<b>301</b>
10.1 Specific heat	301
10.2 Ultrasound	306
10.3 Electrical resistivity and thermopower	311

<b>11 Competition between spin glass and ferromagnetic or antiferromagnetic order</b>	<b>319</b>
11.1 Mean field theory	320
11.2 Reentrant transitions	322
<b>12 One-dimensional models</b>	<b>327</b>
12.1 The nearest-neighbour Ising spin glass chain	328
12.2 A long-range model	331
<b>13 Random field and random anisotropy</b>	<b>337</b>
13.1 Random external fields	338
13.2 Random anisotropy	346
<b>14 The physics of complexity</b>	<b>355</b>
14.1 Combinatorial optimization problems	356
The weighted matching problem	356
The travelling salesman	358
Graph bipartitioning	359
14.2 Collective computation and neural networks	361
<b>15 A short history of spin glasses</b>	<b>371</b>
<i>References</i>	377
<i>Index</i>	399